

Large-Scale Remote Sensing Image Retrieval by Deep Hashing Neural Networks

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Abstract—As one of the most challenging tasks of remote sensing big data mining, large-scale remote sensing image retrieval has attracted increasing attention from researchers. Existing large-scale remote sensing image retrieval approaches are generally implemented by using hashing learning methods, which take handcrafted features as inputs and map the high-dimensional feature vector to the low-dimensional binary feature vector to reduce feature-searching complexity levels. As a means of applying the merits of deep learning, this paper proposes a novel large-scale remote sensing image retrieval approach based on deep hashing neural networks (DHNNs). More specifically, DHNNs are composed of deep feature learning neural networks and hashing learning neural networks and can be optimized in an end-to-end manner. Rather than requiring to dedicate expertise and effort to the design of feature descriptors, we can automatically learn good feature extraction operations and feature hashing mapping under the supervision of labeled samples. To broaden the application field, DHNNs are evaluated under two representative remote sensing cases: scarce and sufficient labeled samples. To make up for a lack of labeled samples, DHNNs can be trained via transfer learning for the former case. For the latter case, DHNNs can be trained via supervised learning from scratch with the aid of a vast number of labeled samples. Extensive experiments on one public remote sensing image data set with a limited number of labeled samples and on another public data set with plenty of labeled samples show that the proposed remote sensing image retrieval approach based on DHNNs can remarkably outperform state-of-the-art methods under both of the examined conditions.

Index Terms—Deep hashing neural networks (DHNNs), large-scale remote sensing image retrieval, remote sensing big data (RSBD) mining, supervised learning from scratch, transfer learning.

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I. INTRODUCTION

WITH the rapid development of remote sensing observation technologies, we have entered an era of remote sensing big data (RSBD) [1]–[3]. There is no doubt that RSBD contain invaluable information. Due to the large volume of RSBD, manual information extraction from RSBD is time consuming and prohibitive. Hence, useful information must be automatically drawn from RSBD. Driven by the demand from multiple fields (e.g., disaster rescue), automatic knowledge discovery from RSBD has become increasingly urgent. Among emerging RSBD mining efforts [1], content-based large-scale remote sensing image retrieval [4]–[8] has attracted an increasing amount of research interest due to its broad applications.

In earlier remote sensing image retrieval systems, remote sensing image retrieval mainly relied on manual tags in terms of sensor types, waveband information, and geographical locations of remote sensing images. As a consequence, the retrieval performance of these systems was highly dependent on the availability and quality of manual tags. However, the manual generation of tags is often time consuming and becomes especially prohibitive when the volume of remote sensing images increases considerably. In fact, recent efforts show that the visual contents of remote sensing images themselves are more relevant than manual tags [9]. Hence, researchers have begun to exploit ways to search through similar remote sensing images in terms of visual content. Specifically, Wang and Song [10] used the spatial relationships of classification results to measure similarities between two remote sensing images. With this approach, however, image retrieval performance is highly dependent on classification accuracy levels. To avoid this dependence, numerous feature descriptors have been specifically designed for indexing remote sensing images. More specifically, local invariant [11], morphological [12], textural [13]–[16], and data-driven features [17]–[19] have been evaluated in terms of content-based remote sensing image retrieval tasks. To further improve image retrieval performance levels, we have proposed a multiple feature-based remote sensing image retrieval approach [20] that not only considers handcrafted features but also utilizes data-driven features via unsupervised feature learning [21]. In addition, Wang *et al.* [22] proposed a multilayered graph model for hierarchically refining retrieval results from coarse to fine. For the aforementioned methods, the visual contents of remote sensing images are often represented by thousands of dimensional feature descriptors. Exhaustively comparing the high-dimensional feature descriptor of an inquiry remote sensing

image with each image in a data set is computationally expensive and impossible to achieve when the volume of a data set is oversized.

To address the aforementioned problems with exhaustive high-dimensional feature searching, two strategies may be employed: improving search methods and reducing the dimensions of feature descriptors. The former strategy is implemented by using data partition algorithms that recursively split data spaces into subspaces and record these divisions via a tree structure. In benefiting from this data partitioning strategy, the search speed of tree-based methods [4]–[6] is significantly improved, but retrieval performance levels decrease dramatically, especially when the dimension of the original feature descriptor is very high [23]. Unfortunately, the dimensions of feature descriptors of remote sensing images are often very high. To avoid this issue, several researchers have exploited feature reduction methods for large-scale remote sensing image retrieval. Recently, hashing learning methods [7], [8] have been introduced into large-scale remote sensing image retrieval tasks. These hashing learning methods take handcrafted feature descriptors with dimensions that are often very high as an input and map high-dimensional feature vectors (HDFVs) to low-dimensional binary feature vectors (LDBFVs). Accordingly, the complexity of exhaustive searches using LDBFV is dramatically reduced relative to that of HDFV. Although existing hashing learning methods can significantly increase search speeds, retrieval accuracy levels still fail to meet the demands of practical applications. In view of the great successes of deep learning methods [24]–[26] in recently developed applications, replacing low-level handcrafted features of hashing learning methods [7], [8] with high-level semantic features of deep learning can further improve retrieval performance levels. To fully employ the respective merits of deep and hashing learning, deep hashing neural networks (DHNNs) [27]–[29] have been proposed by pioneers of the computer vision community, and exciting results of large-scale natural image retrieval tasks have been retrieved. Generally, remote sensing images differ considerably from natural images in both spectral and spatial domains. Due to this substantial gap, DHNNs trained in a natural image data set cannot be applied directly to large-scale remote sensing image retrieval tasks. Hence, the modeling and learning of DHNNs based on specific remote sensing image retrieval tasks deserve more exploration.

Based on the aforementioned considerations, this paper proposes a novel large-scale remote sensing image retrieval approach based on DHNNs. More specifically, this paper presents a comprehensive study of DHNNs and introduces DHNNs into large-scale remote sensing image retrieval tasks. To clarify fundamental theories of DHNNs, this paper provides a systematic review of existing DHNNs. Different from existing DHNNs studies [27]–[29], this paper for the first time illustrates the importance of the similarity weight and quantization loss function of DHNNs. To cover as many cases as possible, DHNNs are utilized in two remote sensing situations: remote sensing data sets with limited and sufficient quantities of labeled samples. For the former case, the deep feature learning module of DHNNs can be derived from

suitable pretrained neural networks, and the hashing learning module of DHNNs is randomly initialized; then, DHNNs can be incrementally trained using the limited number of labeled samples available. For the latter case, DHNNs can be randomly constructed based on the specific data characteristics of remote sensing images and then trained from scratch using a sufficient number of labeled samples. Compared to existing hashing learning methods [7], [8] that have been applied to large-scale remote sensing image retrieval, some recently presented hashing learning methods [30], [31], and three existing DHNN methods [27]–[29], the DHNNs proposed in this paper can achieve significant performance improvements when applied to two public remote sensing image data sets, where one includes a limited number of labeled samples and the other contains a sufficient number of labeled samples. As a whole, the main contributions of this paper are twofold.

- 1) From a methodological perspective, this paper provides a systematic review of DHNNs and illustrates the importance of critical components of DHNNs that are disregarded in existing DHNNs.
- 2) In terms of applications, for the first time, DHNNs are employed for large-scale remote sensing image retrieval. To cover as many remote sensing applications as possible, this paper illustrates ways to design and train DHNNs for large-scale remote sensing image retrieval when labeled samples are scarce and sufficient.

This paper is organized as follows. A comprehensive review of DHNNs is given in Section II, where we also list key parameters of DHNNs that can significantly affect performance outcomes. In Section III, we introduce solutions for designing and training DHNNs for large-scale remote sensing image retrieval in cases involving scarce and sufficient numbers of labeled samples. Using two public remote sensing image data sets, the overall performance of the proposed approach based on DHNNs and comparisons with state-of-the-art approaches are reported in Section IV. Finally, Section V presents the conclusion.

II. DEEP HASHING NEURAL NETWORKS

In the last decade, deep learning [24]–[26] has achieved considerable success when applied to nearly all computer vision tasks due to its superiority in terms of feature representation. In the remote sensing community, deep learning methods have been successively utilized for remote sensing image scene classification [32]–[35], hyper-spectral image classification [36]–[38], SAR image classification [39], [40], remote sensing image object recognition [41], [42], and so forth. Generally, the dimension of the feature vector output generated by these deep learning methods [32]–[42] is often very high and may be acceptable for these processing tasks. However, large-scale image retrieval based on HDFVs is impossible, as noted above.

In tailoring deep learning techniques to large-scale image retrieval, DHNNs have been proposed in [27]–[29]. More specifically, DHNNs are composed of deep feature learning neural networks (DFLNNs) for high-level semantic feature representation and of hashing learning neural networks (HLNNs) for compact feature representation, and can

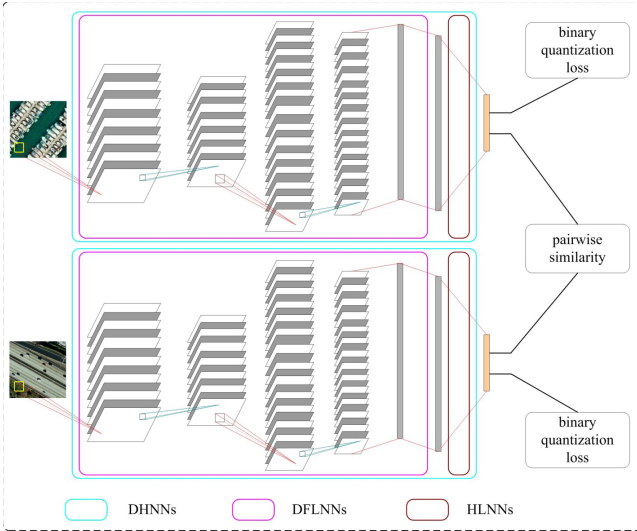


Fig. 1. Visualization of DHNNs and corresponding learning constraints. Subcomponents of DHNNs, including DFLNNs and HLNNs, are also shown.

195 be jointly optimized in an end-to-end manner. We note that
 196 joint optimization benefits render the feature representation
 197 and hashing mapping modules simultaneously optimal for a
 198 specific task.

199 To clearly describe the features of DHNNs, model formu-
 200 lations and learning paradigms for DHNNs are introduced
 201 in Sections II-A and II-B.

202 A. Modeling of DHNNs

203 Based on existing approaches [27]–[29], DHNNs can be
 204 represented by the integration of DFLNNs and HLNNs. More
 205 specifically, DFLNNs are composed of multiple convolutional
 206 and fully connected layers and pursue the high-level semantic
 207 feature representation of an input image scene. In addition,
 208 HLNNs can be constructed from one fully connected
 209 layer and aim at mapping the high-dimensional feature rep-
 210 resentation of DFLNNs for compact feature representation
 211 (i.e., the LDBFV). Unlike the high-dimensional feature rep-
 212 resentation of DFLNNs, the feature representation of DHNNs
 213 is extremely compact and can be applied to large-scale image
 214 retrieval tasks.

215 As depicted in Fig. 1, each image shares the same neural
 216 networks (i.e., DHNNs) throughout the compact feature rep-
 217 resentation process, and DHNNs can be optimized under con-
 218 straints such as binary quantization loss and pairwise similar-
 219 ity constraints. More specifically, the binary quantization loss
 220 can render each element of the final feature representation of the
 221 DHNNs approach as -1 or 1 , and the pairwise similarity con-
 222 straint can cause similarities between feature representations
 223 of DHNNs to agree with real similarities based on manual
 224 labels of image scenes.

225 For an image data set $\{(I_i, y_i) | i = 1, 2, \dots, N\}$, where I_i
 226 denotes the image and y_i denotes its label, the similarity matrix
 227 $\Theta \in \mathbb{R}^{2 \times N \times N}$ for the given image data set is specifically
 228 defined as $\Theta_{i,j}^1 + \Theta_{i,j}^2 = 1$, where $\Theta_{i,j}^1 = 1$, if $y_i = y_j$ and
 229 $\Theta_{i,j}^1 = 0$, if $y_i \neq y_j$.

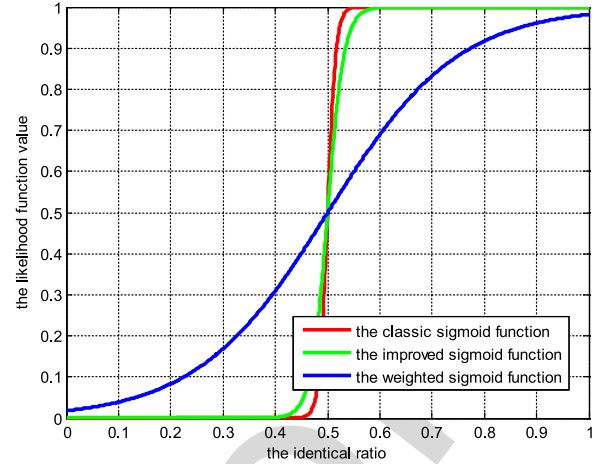


Fig. 2. Visual comparison of different sigmoid functions. In the visual comparison, the length of the binary feature is set to 64, and the similarity factor is set to 0.25. In addition, the identical ratio is calculated by dividing the number of identical bits between two binary features by the length of the binary feature.

230 Assuming that low-dimensional binary vectors of the image
 231 data set $\mathbf{I} = \{I_i\}_{i=1}^N$ can be represented by $\mathbf{B} = \{\mathbf{b}_i\}_{i=1}^N$, where
 232 $\mathbf{b}_i \in \{-1, 1\}^l$ and l denotes the length of the binary feature
 233 vector, the likelihood function of the pairwise similarity Θ can
 234 be defined as

$$235 \begin{cases} P(\Theta_{i,j}^1 = 1 | \mathbf{B}) = \sigma(\Omega_{i,j}) \\ P(\Theta_{i,j}^2 = 1 | \mathbf{B}) = 1 - \sigma(\Omega_{i,j}) \end{cases} \quad (1)$$

236 where $\Omega_{i,j} = \mathbf{b}_i^T \mathbf{b}_j$ and $\sigma(\Omega_{i,j}) = 1/(1 + e^{-\Omega_{i,j}})$ is the classic
 237 sigmoid function that easily leads to a large saturation zone
 238 where its gradient is close to 0.

239 In the literature, the classic sigmoid function
 240 $\sigma(\Omega_{i,j}) = 1/(1 + e^{-\Omega_{i,j}})$ is adopted in [27], and the
 241 improved sigmoid function $\sigma(\Omega_{i,j}) = 1/(1 + e^{-\Omega_{i,j}/2})$ is
 242 utilized in [29]. However, both sigmoid functions adopted
 243 in [27] and [29] would result in the generation of large
 244 saturation zone, which hinders the updating of network
 245 parameters through backpropagation. To avoid this result,
 246 this paper proposes the use of a weighted sigmoid function
 247 $\sigma(\Omega_{i,j}) = 1/(1 + e^{-\Omega_{i,j}/w})$, where $w = s \cdot l$ is the similarity
 248 weight, s is the similarity factor, and l is the length of the
 249 binary feature \mathbf{b} . Fig. 2 intuitively shows why the proposed
 250 weighted sigmoid function can effectively decrease the
 251 saturation zone relative to the classic sigmoid function used
 252 in [27] and the improved sigmoid function used in [29].
 253 For the case illustrated in Fig. 2, the classic and improved
 254 sigmoid functions should cause the objective optimization
 255 function used in (2) to enter the saturation zone when the
 256 identical ratio exceeds 0.6 or falls below 0.4. In contrast,
 257 the weighted sigmoid function can cause the objective
 258 optimization function to pursue a higher identical ratio when
 259 two remote sensing images share the same visual content and
 260 vice versa.

261 The ideal binary feature representations $\mathbf{B} = \{\mathbf{b}_i\}_{i=1}^N$
 262 are unknown in advance. Under the similarity matrix constraint Θ ,
 263 we can determine binary representations by minimizing the

264 following cross-entropy function:

$$\begin{aligned}
 \min_{\mathbf{B}} E &= \sum_{\Theta_{i,j} \in \Theta} \sum_{k=1}^2 (-\Theta_{i,j}^k \log P(\Theta_{i,j}^k = 1 | \mathbf{B})) \\
 &= \sum_{\Theta_{i,j} \in \Theta} (\Theta_{i,j}^1 \Omega_{i,j} + \log(1 + e^{\Omega_{i,j}})). \quad (2)
 \end{aligned}$$

267 To draw a link between deep feature learning and hashing
 268 learning, we give the parameter formulation of DFLNNs and
 269 HLNNs in the following. Let $\mathbf{\Lambda}$ denote all parameters of
 270 multilayers of DFLNNs, and let $\{\mathbf{W}, \mathbf{v}\}$ denote the weights
 271 of HLNNs. For a given input image I_i , the high-dimensional
 272 semantic feature representation of DFLNNs can be represented
 273 by $\mathbf{d}_i = \varphi(I_i; \mathbf{\Lambda})$, where $\mathbf{d}_i \in R^d$, and the continuous
 274 low-dimensional feature representation of HLNNs can be
 275 represented by $\mathbf{f}_i = \mathbf{W}^T \mathbf{d}_i + \mathbf{v} = \mathbf{W}^T \varphi(I_i; \mathbf{\Lambda}) + \mathbf{v}$, where
 276 $\mathbf{f}_i \in R^l$, $\mathbf{W} \in R^{d \times l}$, and $\mathbf{v} \in R^l$.

277 To simultaneously optimize the DFLNNs and HLNNs,
 278 the optimization function shown in (2) can be converted into

$$\begin{aligned}
 \min_{B, \Lambda, W, v} E^1 &= \sum_{\Theta_{i,j} \in \Theta} (\Theta_{i,j}^1 \Upsilon_{i,j} + \log(1 + e^{\Upsilon_{i,j}})) \\
 &\quad + \eta \sum_{i=1}^N \|\mathbf{f}_i - \mathbf{b}_i\|_1 \quad (3)
 \end{aligned}$$

281 where $\Upsilon_{i,j} = \mathbf{f}_i^T \mathbf{f}_j / P$, P is the similarity penalty, and η
 282 is the regularization coefficient. Using formula derivation, it
 283 is not difficult to see that P varies with the selection of
 284 sigmoid functions. The similarity penalty P is equal to 1, 2,
 285 and $w = s \cdot l$ when the classic sigmoid function in [27],
 286 the improved sigmoid function in [29], and the weighted
 287 sigmoid function are, respectively, adopted.

288 We note that the optimization function used in (3) takes
 289 the pairwise similarity constraint and the binary quantization
 290 loss function into consideration. Intuitively, the optimization
 291 function shown in (3) is equivalent to that used in (4). As the
 292 optimization function used in (3) and (4) uses the L1 norm
 293 to define the quantization loss, the corresponding DHNNs
 294 optimized by (3) or (4) are referred to as DHNNs-L1 in the
 295 following. In the proposed DHNNs-L1, the weighted sigmoid
 296 function is adopted and $\Upsilon_{i,j}$ in (4) is equal to $\mathbf{f}_i^T \mathbf{f}_j / w$, where
 297 $w = s \cdot l$ is the similarity weight. In contrast, the existing
 298 deep hashing method used in [27] employs the classic sigmoid
 299 function, which renders $\Upsilon_{i,j}$ used in (4) equal to $\mathbf{f}_i^T \mathbf{f}_j$. The
 300 binary quantization loss from the L1 norm is also adopted
 301 in [28]

$$\begin{aligned}
 \min_{\Lambda, W, v} E^1 &= \sum_{\Theta_{i,j} \in \Theta} (\Theta_{i,j}^1 + \Upsilon_{i,j} + \log(1 + e^{\Upsilon_{i,j}})) \\
 &\quad + \eta \sum_{i=1}^N \|\|\mathbf{f}_i - \mathbf{1}\|\|_1. \quad (4)
 \end{aligned}$$

304 Unlike the function used in (3) and (4), the optimization
 305 function used in (5) employs the square of the L2 norm to
 306 define the quantization loss. In the following, the DHNNs
 307 optimized by (5) are referred to as DHNNs-L2. Unlike the
 308 proposed DHNNs-L2, the existing deep hashing approach used

in [29] adopts the improved sigmoid function, rendering $\Upsilon_{i,j}$
 in (5) equal to $\mathbf{f}_i^T \mathbf{f}_j / 2$

$$\begin{aligned}
 \min_{B, \Lambda, W, v} E^2 &= \sum_{\Theta_{i,j} \in \Theta} (\Theta_{i,j}^1 \Upsilon_{i,j} + \log(1 + e^{\Upsilon_{i,j}})) \\
 &\quad + \eta \sum_{i=1}^N \|\mathbf{f}_i - \mathbf{b}_i\|_2^2. \quad (5)
 \end{aligned}$$

313 As noted above, we comprehensively review DHNN
 314 methods [27]–[29] employed in the literature under the cross-
 315 entropy optimization framework employed in (2). In diverging
 316 from prior efforts, the importance of the similarity weight w
 317 is revealed for the first time. In addition, we evaluate the
 318 final performance of DHNNs when applied under different
 319 quantization loss functions.

320 In Section II-B, ways to learn DHNNs-L1 and DHNNs-L2
 321 from (3) and (5) are demonstrated in detail.

B. DHNN Learning

323 Given that the volume of training samples is generally very
 324 large, we adopt a batch-based learning strategy widely adopted
 325 in deep learning to optimize DHNNs-L1 used in (3) and
 326 DHNNs-L2 used in (5). More specifically, for each iteration,
 327 we sample a batch of data to learn parameters until all data are
 328 processed. As \mathbf{B} and $\{\mathbf{\Lambda}, \mathbf{W}, \mathbf{v}\}$ are dependent on one another
 329 in (3) or (5), we adopt an alternative way to learn them.
 330 Therefore, one parameter is updated while other parameters
 331 remain fixed.

332 Regardless of whether we optimize DHNNs-L1 or
 333 DHNNs-L2, binary feature vectors $\mathbf{B} = \{\mathbf{b}_i\}_{i=1}^N$ should be
 334 first estimated based on neural network parameters $\{\mathbf{\Lambda}, \mathbf{W}, \mathbf{v}\}$

$$\mathbf{b}_i = \text{sign}(\mathbf{f}_i) = \text{sign}(\mathbf{W}^T \varphi(I_i; \mathbf{\Lambda}) + \mathbf{v}) \quad (6)$$

336 where $\text{sign}(\cdot)$ maps each element of the feature vector to
 337 -1 or 1 based on the sign of the given element.

338 To learn neural network parameters via the backpropagation
 339 algorithm, we must compute derivatives of the optimization
 340 function. In the following, we, respectively, give the derivatives
 341 of optimization functions used in (3) and (5).

342 To learn the parameters employed in DHNNs-L1, the deriv-
 343 ative of the optimization function used in (3) with respect to \mathbf{f}_i
 344 should be computed as illustrated in (7). The optimization
 345 function used in (3) with respect to \mathbf{f}_i is nondifferentiable
 346 due to its use of the L1 norm. As noted in [28], (7) gives
 347 derivatives on multiple intervals that can be written as

$$\begin{aligned}
 \frac{\partial E^1}{\partial \mathbf{f}_i^m} &= \begin{cases} \sum_{j: \Theta_{i,j} \in \Theta} (\sigma(\mathbf{f}_i^T \mathbf{f}_j / (s \cdot l)) - \Theta_{i,j}^1) \mathbf{f}_j^m + \eta, & \mathbf{f}_i^m \geq 1 \\ \sum_{j: \Theta_{i,j} \in \Theta} (\sigma(\mathbf{f}_i^T \mathbf{f}_j / (s \cdot l)) - \Theta_{i,j}^1) \mathbf{f}_j^m + \eta, & -1 \leq \mathbf{f}_i^m \leq 0 \\ \sum_{j: \Theta_{i,j} \in \Theta} (\sigma(\mathbf{f}_i^T \mathbf{f}_j / (s \cdot l)) - \Theta_{i,j}^1) \mathbf{f}_j^m - \eta, & \text{otherwise} \end{cases} \quad (7)
 \end{aligned}$$

351 where l is the length of \mathbf{f}_i and $m = 1 : l$.

Algorithm 1 Optimization Process for DHNNs-L1

Input: Training images $\mathbf{I} = \{I_i\}_{i=1}^N$ with the pairwise similarity matrix Θ ;

Output: Weights for DHNNs-L1 $\{\mathbf{A}, \mathbf{W}, \mathbf{v}\}$ and by-product binary features \mathbf{B} ;

Repeat

Randomly sample a batch of images from the training images. For each image I_i in the sampled batch, execute the following operations:

- Compute the high-dimensional feature from $\mathbf{d}_i = \varphi(I_i; \Lambda)$ by forward propagation;
- Calculate the low-dimensional binary feature from $\mathbf{b}_i = \text{sign}(\mathbf{W}^T \mathbf{d}_i + \mathbf{v})$ using Eq. (6);
- Calculate derivatives of the optimization function using Eq. (7) - Eq. (10);
- Update weights $\{\mathbf{A}, \mathbf{W}, \mathbf{v}\}$ based on the derivatives via back propagation;

Continue until all images are processed over a fixed number of iterations

Algorithm 2 Optimization Process for DHNNs-L2

Input: Training images $\mathbf{I} = \{I_i\}_{i=1}^N$ with the pairwise similarity matrix Θ ;

Output: Weights for DHNNs-L2 $\{\mathbf{A}, \mathbf{W}, \mathbf{v}\}$ and by-product binary features \mathbf{B} ;

Repeat

Randomly sample a batch of images from the training images. For each image I_i in the sampled batch, execute the following operations:

- Compute the high-dimensional feature by $\mathbf{d}_i = \varphi(I_i; \Lambda)$ by forward propagation;
- Calculate the low-dimensional binary feature $\mathbf{b}_i = \text{sign}(\mathbf{W}^T \mathbf{d}_i + \mathbf{v})$ from Eq. (6);
- Calculate derivatives of the optimization function from Eq. (11) - Eq. (14);
- Update weights $\{\mathbf{A}, \mathbf{W}, \mathbf{v}\}$
- based on the derivatives by back propagation;

Continue until all images are processed with a fixed number of iterations

Furthermore, we can calculate derivatives of (3) with respect to $\{\mathbf{A}, \mathbf{W}, \mathbf{v}\}$, which can refer to the following:

$$\frac{\partial E^1}{\partial \varphi(I_i; \Lambda)} = \mathbf{W} \frac{\partial E^1}{\partial \mathbf{f}_i} \quad (8)$$

$$\frac{\partial E^1}{\partial \mathbf{W}} = \varphi(I_i; \Lambda) \left(\frac{\partial E^1}{\partial \mathbf{f}_i} \right)^T \quad (9)$$

$$\frac{\partial E^1}{\partial \mathbf{v}} = \frac{\partial E^1}{\partial \mathbf{f}_i}. \quad (10)$$

To illustrate, we summarize the optimization process employed for DHNNs-L1 as Algorithm 1.

In the following, we give the optimization solution for DHNNs-L2. As for the optimization process for DHNNs-L1, we must determine the derivative of the optimization function used in (5) with respect to \mathbf{f}_i . In benefiting from the L2 norm, the optimization function used in (5) with respect to \mathbf{f}_i is differentiable. More specifically, the closed-form gradient is as follows:

$$\frac{\partial E^2}{\partial \mathbf{f}_i} = \sum_{j: \Theta_{i,j} \in \Theta} (\sigma(\mathbf{f}_i^T \mathbf{f}_j / (s \cdot l)) - \Theta_{i,j}^1) \mathbf{f}_j^n + 2\eta(\mathbf{f}_i - \mathbf{b}_i). \quad (11)$$

Based on the gradient result shown in (11), derivatives of the optimization function shown in (5) with respect to $\{\mathbf{A}, \mathbf{W}, \mathbf{v}\}$ can be computed from

$$\frac{\partial E^2}{\partial \varphi(I_i; \Lambda)} = \mathbf{W} \frac{\partial E^2}{\partial \mathbf{f}_i} \quad (12)$$

$$\frac{\partial E^2}{\partial \mathbf{W}} = \varphi(I_i; \Lambda) \left(\frac{\partial E^2}{\partial \mathbf{f}_i} \right)^T \quad (13)$$

$$\frac{\partial E^2}{\partial \mathbf{v}} = \frac{\partial E^2}{\partial \mathbf{f}_i}. \quad (14)$$

To avoid confusing this process with the optimization process employed for the DHNNs-L1, we summarize the optimization process of DHNNs-L2 as Algorithm 2.

III. LARGE-SCALE REMOTE SENSING IMAGE RETRIEVAL VIA DEEP HASHING NEURAL NETWORKS

In this section, we propose a novel large-scale remote sensing image retrieval approach based on the aforementioned DHNNs composed of DFLNNs and HLNNs.

As illustrated in Fig. 3, the proposed large-scale remote sensing image retrieval approach based on the DHNNs involves two stages: a training stage and a testing stage. In the training stage, the DHNNs should be trained offline using labeled remote sensing images. In the testing stage, based on the DHNNs learned from the training stage, low-dimensional binary features of the given remote sensing images can be computed based on (6). As illustrated by the testing stage presented in Fig. 3, the large-scale remote sensing image retrieval task is transformed into a feature-searching problem. As noted above, the final feature representation of the DHNNs is very compact. In benefiting from this characteristic, the large-scale remote sensing image retrieval task can be easily implemented via exhaustive feature similarity comparisons, where similarities between binary features can be efficiently computed from the hamming distance [27]–[31]. As final features of the remote sensing image generated from the DHNNs are very compact, features of remote sensing images in the large-scale remote sensing image data set can be computed in advance and then saved as the feature data set without incurring considerable storage costs. Hence, in the retrieval stage, feature extraction time dedicated to the large-scale remote sensing image data set can be saved, and it is only necessary to compute the feature representation of the inquiry image based on the DHNNs.

It is well known that deep learning-based methods are often dependent on the use of millions of labeled samples to learn complex neural network parameters [24]–[26]. The DHNNs discussed in this paper also suffer from this problem. Hence, the performance of DHNNs depends heavily on the volume of labeled samples. To broader DHNNs applications,

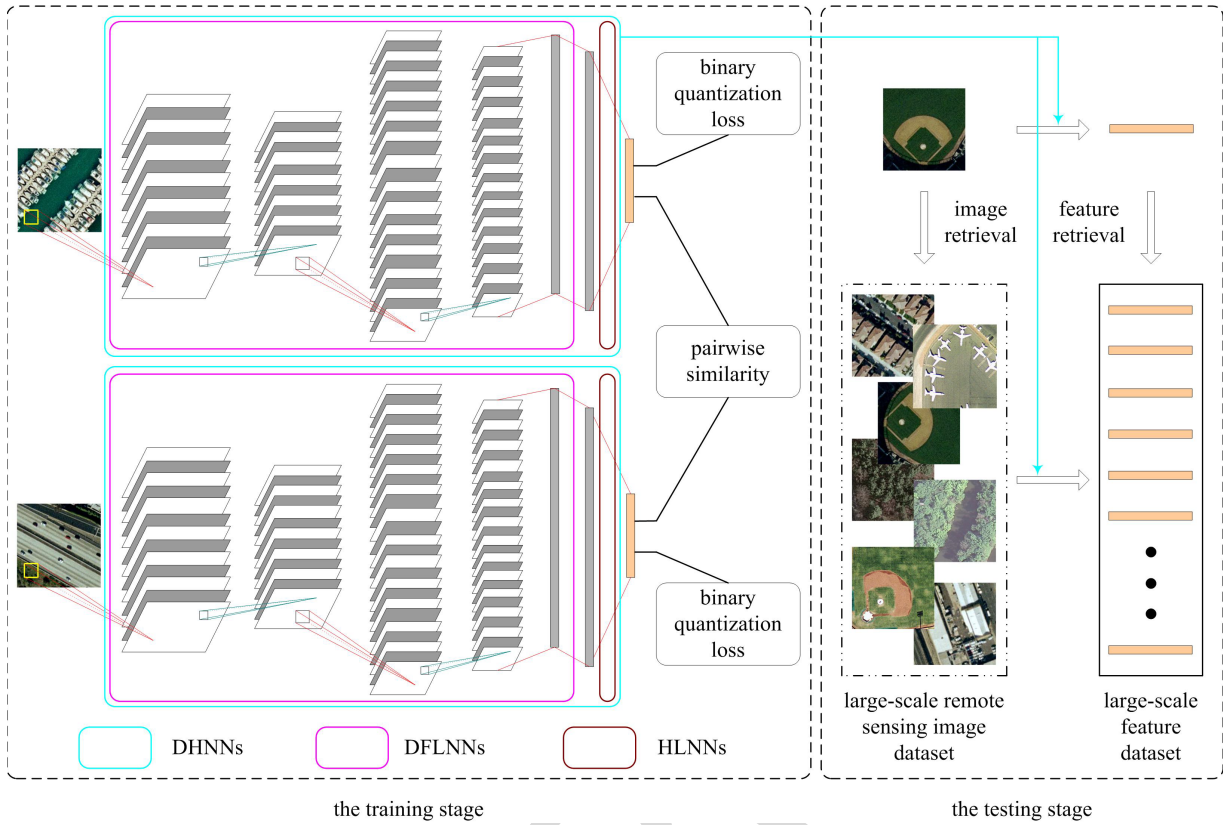


Fig. 3. Flowchart of the proposed large-scale remote sensing image retrieval approach based on DHNNs. The proposed approach involves training and testing stages. More specifically, the training stage involves learning DHNNs, and the testing stage addresses large-scale remote sensing image retrieval based on the DHNNs learned in the training stage.

Sections III-A and III-B present ways to design and train DHNNs under two typical cases for which the number of labeled remote sensing samples available is limited or sufficient.

A. Large-Scale Remote Sensing Image Retrieval by Virtue of Limited Number of Labeled Samples

In the majority of remote sensing applications, large numbers of remote sensing images are available, but labeled images are very rare. In such cases, fully learning convolutional neural networks (CNNs) from scratch is impossible. In the literature, several efforts have been made to transfer CNNs that have been pretrained in a large-scale natural image data set (e.g., ImageNet) [43] to remote sensing image tasks of scene classification [34], object recognition [39], and so on.

Inspired by such successful experiences [34], [39], we train DHNNs via transfer learning when the number of labeled remote sensing images available is very limited. More specifically, we expect to transfer CNNs pretrained on the source domain (e.g., the natural image object recognition task) to the target domain (i.e., the remote sensing image retrieval task). To this end, the DFLNNs of DHNNs can inherit from suitable pretrained CNNs (e.g., the one pretrained on ImageNet), and the HLNNs of DHNNs can be randomly initialized based on the size of the adopted DFLNNs. Furthermore, the constructed DHNNs can be incrementally trained by applying

Algorithm 1 or Algorithm 2 under the supervision of a limited number of labeled remote sensing images. As the weights of DHNNs mainly concentrate on DFLNNs, a relatively strong DFLNNs initialization can decrease the optimization difficulty of DHNNs. In benefiting from the reuse of CNNs, the advocated DHNNs can be trained to achieve strong levels of generalization performance, even when the number of labeled remote sensing images available is very limited.

As a precondition to the success of this transfer learning strategy, the remote sensing image in the target domain relatively resembles the image in the source domain in terms of spectral ranges and spatial resolutions. In the training and testing stages, the remote sensing image in the target domain must be projected to the size of the image in the source domain to reuse CNNs trained in the source domain. Although the projection may lose some information on remote sensing images, this approach is still very cost effective when the remote sensing image adopted is similar to natural images. This strategy is verified for a public aerial image data set [44], and corresponding results are shown in Section IV-B.

B. Large-Scale Remote Sensing Image Retrieval With the Aid of a Sufficient Number of Labeled Samples

We note that the aforementioned transfer learning strategy for DHNNs may decline in efficacy when the remote sensing image used is significantly different from the image in the



Fig. 4. Illustration of the UCMD. The UCMD covers 21 land cover categories, and four images of each category randomly selected from the UCMD are shown.

463 source domain. As is well known, remote sensing images
 464 include much more spectral channels than natural images
 465 do. Hence, remote sensing images include even more cues
 466 that can be used in image analyses than natural ones do.
 467 When transferring CNNs pretrained on a natural image data
 468 set to construct the DFLNNs of DHNNs, only three RGB
 469 spectral channels of remote sensing images are used for feature
 470 representation, while the rich spectral information of remote
 471 sensing images is disregarded.

472 Along with the great successes of deep learning, more
 473 and more researchers have realized the importance of labeled
 474 samples. Accordingly, the remote sensing image data set with
 475 large volumes of labeled samples [45] has been released.
 476 In particular, a large-scale remote sensing image data set
 477 with manual labels is available. However, to our knowledge,
 478 no report has illustrated the feasibility of joint deep fea-
 479 ture and hashing learning for remote sensing image data
 480 sets. To allow rich annotation information of remote sensing
 481 images to generate good yields, we attempt to specifically
 482 design and train DHNNs for remote sensing images from
 483 scratch. The solution proposed is verified based on one public
 484 satellite image data set [45], where each image contains four
 485 RGB–near infrared (NIR) spectral channels, and correspond-
 486 ing results are presented in Section IV.

IV. EXPERIMENTAL RESULTS

487 Section IV-A introduces widely adopted evaluation cri-
 488 teria used for large-scale remote sensing image retrieval.
 489 Section IV-B provides an example that shows how DHNNs
 490 are designed and trained when the number of labeled samples
 491 available is very limited. In reference to such conditions,
 492 the overall performance of DHNNs and its performance rel-
 493 ative to other approaches are reported. With the support of
 494 plenty of labeled samples, Section IV-C illustrates the means
 495 of designing and training DHNNs and reports on the overall
 496 performance of DHNNs and compares this performance with
 497 those of state-of-the-art approaches. Finally, Section IV-D
 498 provides a brief discussion of the experimental results and
 499 describes our future work related to DHNNs.
 500

A. Evaluation Criteria

501 In this paper, large-scale remote sensing image retrieval
 502 performance is quantitatively evaluated using the following
 503 two widely adopted metrics [7], [27]–[31]: the mean average
 504 precision (MAP) and the precision-recall curve. More specifi-
 505 cally, the MAP score can be computed from
 506

$$\text{MAP} = \frac{1}{|Q|} \sum_{i=1}^{|Q|} \frac{1}{n_i} \sum_{j=1}^{n_i} \text{precision}(R_i^j) \quad (15)$$

TABLE I
CONFIGURATION OF DFLNN ON UCMD

| Layer | Configuration |
|-------|---|
| Conv1 | filter: $64 \times 11 \times 11 \times 3$, stride1: 4×4 , pool: 3×3 , stride2: 2×2 |
| Conv2 | filter: $256 \times 5 \times 5 \times 64$, stride1: 1×1 , pool: 3×3 , stride2: 2×2 |
| Conv3 | filter: $256 \times 3 \times 3 \times 256$, stride1: 1×1 |
| Conv4 | filter: $256 \times 3 \times 3 \times 256$, stride1: 1×1 |
| Conv5 | filter: $256 \times 3 \times 3 \times 256$, stride1: 1×1 , pool: 3×3 , stride2: 2×2 |
| Full6 | 4096 |
| Full7 | 4096 |

508 where $q_i \in Q$ is the inquiry image, $|Q|$ denotes the volume
509 of the inquiry image data set, and n_i is the number of images
510 relevant to q_i in the searching image data set. Assuming that
511 relevant images are ordered as $\{r_1, r_2, \dots, r_{n_i}\}$ across images
512 in the searching image data set, R_i^j is the set of ranked results
513 from the 1-st result to the r_j -th result.

514 B. Experiments on the Data Set With a Limited Number 515 of Labeled Samples

516 1) *Evaluation Data Set*: In this paper, we take the publicly
517 available University of California, Merced remote sensing
518 image data set (UCMD) [44] to demonstrate how to design
519 and train DHNNs from a limited number of labeled sam-
520 ples. The UCMD is generated by manually labeling aerial
521 image scenes, and it covers 21 land cover categories. More
522 specifically, each land cover category includes 100 images of
523 256×256 pixels, the spatial resolution of each pixel is 30 cm,
524 and each pixel is measured in the RGB spectral space. Four
525 representative images of each category of the UCMD are
526 visually shown in Fig. 4. We note that the UCMD has been
527 widely used for the performance evaluation of remote sensing
528 image retrieval [11], [12], [20] and remote sensing image scene
529 classification [21], [32]–[35] efforts. Hence, the UCMD is a
530 representative remote sensing image data set that includes a
531 limited number of labeled samples.

532 2) *Experimental Setup*: To slightly augment the volume of
533 the UCMD, each image from the UCMD is rotated by 90° ,
534 180° , and 270° . This strategy has been widely adopted to
535 enlarge data sets without any manual labor [34] and can
536 increase the size of a UCMD by a factor of 4. In the following,
537 we describe experiments conducted on the augmented UCMD
538 containing 8400 images. Furthermore, the inquiry image data
539 set is composed of 1000 images randomly sampled from the
540 augmented UCMD, and the others are taken as searching and
541 training image data sets with a volume of 7400.

542 In this experiment, the DFLNNs of DHNNs are constructed
543 by transferring the CNNs pretrained on ImageNet [46] based
544 on the fact that the aerial image of the UCMD resembles
545 the natural image included in ImageNet in terms of spectral
546 ranges and spatial resolutions, and the HLNNs of DHNNs are
547 randomly initialized based on the output size of the DFLNNs.
548 The specific configuration of the transferred DFLNNs is shown
549 in Table I, and the DFLNNs can process an input image
550 of $224 \times 224 \times 3$. In Table I, “filter” specifies the number of

TABLE II
MAP VALUES OF DHNNs-L1 UNDER DIFFERENT
PARAMETERS ON UCMD

| | $\eta = 5.0e0$ | $\eta = 1.0e1$ | $\eta = 5.0e1$ | $\eta = 1.0e2$ | $\eta = 5.0e2$ |
|------------|----------------|----------------|----------------|----------------|----------------|
| $s = 0.25$ | 0.6009 | 0.9406 | 0.9590 | 0.9539 | 0.3109 |
| $s = 0.50$ | 0.7010 | 0.8530 | 0.7506 | 0.9587 | 0.4735 |
| $s = 0.75$ | 0.1650 | 0.2450 | 0.6959 | 0.7123 | 0.3627 |
| $s = 1.00$ | 0.7141 | 0.7933 | 0.6770 | 0.5898 | 0.1250 |

TABLE III
MAP VALUES OF DHNNs-L2 UNDER DIFFERENT
PARAMETERS ON UCMD

| | $\eta = 5.0e0$ | $\eta = 1.0e1$ | $\eta = 5.0e1$ | $\eta = 1.0e2$ | $\eta = 5.0e2$ |
|------------|----------------|----------------|----------------|----------------|----------------|
| $s = 0.25$ | 0.9433 | 0.9520 | 0.9587 | 0.9503 | 0.0486 |
| $s = 0.50$ | 0.8436 | 0.9622 | 0.9718 | 0.9620 | 0.0956 |
| $s = 0.75$ | 0.8989 | 0.9708 | 0.9708 | 0.9596 | 0.1449 |
| $s = 1.00$ | 0.8585 | 0.8633 | 0.9701 | 0.9654 | 0.4295 |

551 filters, the size of a field, and the dimensions of input data, and
552 it can be formulated as $\text{num} \times \text{size} \times \text{size} \times \text{dim}$. “stride1”
553 denotes the sliding step of the convolution operation. “pool”
554 denotes the down sampling factor. “stride2” denotes the sliding
555 step of the local pooling operation.

556 Furthermore, the constructed DHNNs are incrementally
557 optimized by Algorithm 1 or Algorithm 2 from the training
558 aerial image data set. To distinguish between optimization
559 algorithms, DHNNs-L1 denotes the DHNNs optimized by
560 Algorithm 1, and DHNNs-L2 denotes the DHNNs optimized
561 by Algorithm 2. In the incremental optimization process,
562 the DFLNNs and HLNNs of DHNNs can be jointly updated
563 under the supervision of the training aerial image data set.

564 3) *Overall Performance of the DHNNs*: In this section,
565 we explore the performance of DHNNs-L1 and DHNNs-
566 L2 and the sensitivity of key parameters, including the simi-
567 larity factor and regularization coefficient. In this experiment,
568 the length of the final hashing feature is set to 64. The inquiry
569 aerial image data set contains 1000 images, and the searching
570 aerial image data set includes 7400 images. Based on this
571 experimental setting, Table II reports the image retrieval per-
572 formance of DHNNs-L1, and the retrieval performance is mea-
573 sured based on the MAP value. In addition, Table II presents
574 sensitivity analysis results for key parameters, including the
575 similarity factor s and the regularization coefficient η . In addi-
576 tion, Table III illustrates the image retrieval performance of
577 DHNNs-L2 based on two critical parameters.

578 As illustrated in Tables II and III, DHNN-L2 performs better
579 than DHNNs-L1. More specifically, DHNNs-L2 achieves the
580

TABLE IV
MAP VALUES OF DHNNs-L2 AND OTHER APPROACHES ON UCMD

| | PRH in [7] | KSH in [8] | SDH in [30] | COSDISH in [31] | DHN in [27] | DSH in [28] | DPSH in [29] | Our DHNNs-L2 |
|----------|---------------|---------------|----------------|--------------------|----------------|----------------|-----------------|---------------|
| $l = 32$ | 0.1557 | 0.3039 | 0.2997 | 0.4998 | 0.6707 | 0.6317 | 0.7478 | 0.9396 |
| $l = 64$ | 0.1744 | 0.3326 | 0.3144 | 0.5300 | 0.7313 | 0.6750 | 0.8174 | 0.9718 |
| $l = 96$ | 0.1858 | 0.3539 | 0.3427 | 0.5594 | 0.7707 | 0.7502 | 0.8640 | 0.9762 |

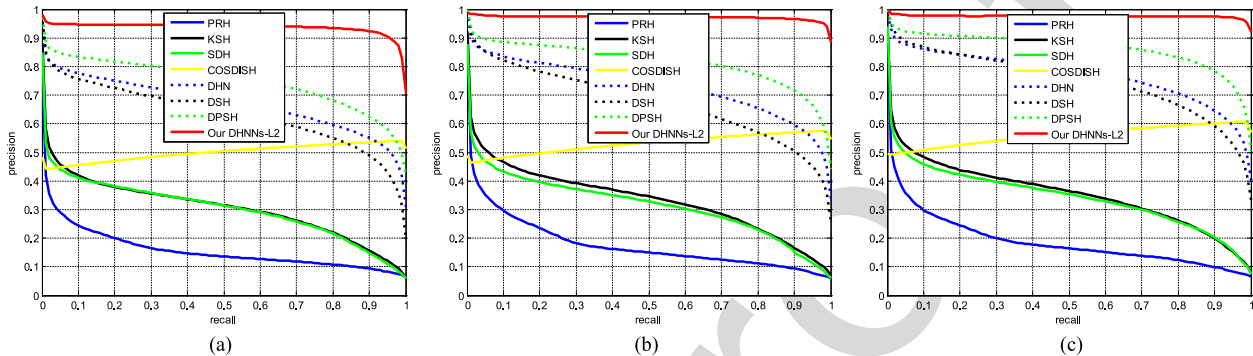


Fig. 5. Performance of DHNNs-L2 and other methods when applied with different hashing feature lengths on UCMD. (a) Performance when $l = 32$. (b) Performance when $l = 64$. (c) Performance when $l = 96$.

best remote sensing image retrieval outcomes when the similarity factor is set to 0.50 and the regularization coefficient is equal to $5.0e1$.

4) *Comparisons With State-of-the-Art Approaches:* With the similarity factor and regularization coefficient in DHNNs-L2 fixed, we report MAP values of our proposed DHNNs-L2 for different hashing feature lengths in Table IV. To show the superiority of the adopted DHNNs-L2, we compare it with state-of-the-art approaches, including two existing large-scale remote sensing image retrieval approaches [7], [8], two recently developed hashing learning methods [30], [31], and three existing DHNNs methods [27]–[29]. More specifically, the large-scale remote sensing image retrieval method based on partial randomness hashing (PRH) [7], the large-scale remote sensing image retrieval method based on kernel-based supervised hashing (KSH) [8], [47], the potential method based on supervised discrete hashing (SDH) [30], and the candidate method based on column sampling-based discrete supervised hashing (COSDISH) [31] are reimplemented or provided by the authors. These approaches [7], [8], [30], [31] take the 512-D GIST feature [48] as an input for hashing learning methods. To illustrate the benefits of the proposed DHNNs-L2, we also compare it with existing DHNNs models, including the deep hashing network (DHN) [27], deep supervised hashing (DSH) [28], and deep pairwise-supervised hashing (DPSH) [29]. Experimental parameters are set according to suggestions made in corresponding papers. To illustrate the superiority of the optimization function of the proposed DHNNs-L2, the DHN [27], DSH [28], and DPSH [29] are based on the same deep network architecture of the

proposed DHNNs-L2. As shown in Table IV, we can easily conclude that the proposed DHNNs-L2 can clearly outperform other state-of-the-art approaches.

To further illustrate aerial image retrieval performance outcomes, we present precision-recall curves of DHNNs-L2 and of other approaches. Fig. 5 shows the precision-recall curves of methods based on different hashing feature lengths. As illustrated in Fig. 5, DHNNs-L2 significantly outperforms the other approaches.

In addition to the above quantitative comparison with state-of-the-art approaches, we draw intuitive comparisons, as illustrated in Fig. 6. For this visual comparison, the hashing feature length of all methods is set to 96, and all methods use the same inquiry image and the same search image data set. In Fig. 6, the aerial scene containing storage tanks is taken as the inquiry image, and retrieval results of different methods are shown. As shown in Fig. 6, DHNNs-L2 clearly outperforms other methods and retrieves true aerial images, even in the midst of considerable appearance variations. Due to space limitations, we only provide one visual retrieval example, though DHNNs-L2 applies to other cases as reflected in the comprehensive results shown in Table IV and Fig. 5.

C. Experiments on the Data Set With Oversized Labeled Samples

1) *Evaluation Data Set:* In this section, we use a public satellite image data set based on four land cover categories (SAT4) [45] as a case to explore the feasibility of jointly learning deep feature representation and hashing mapping

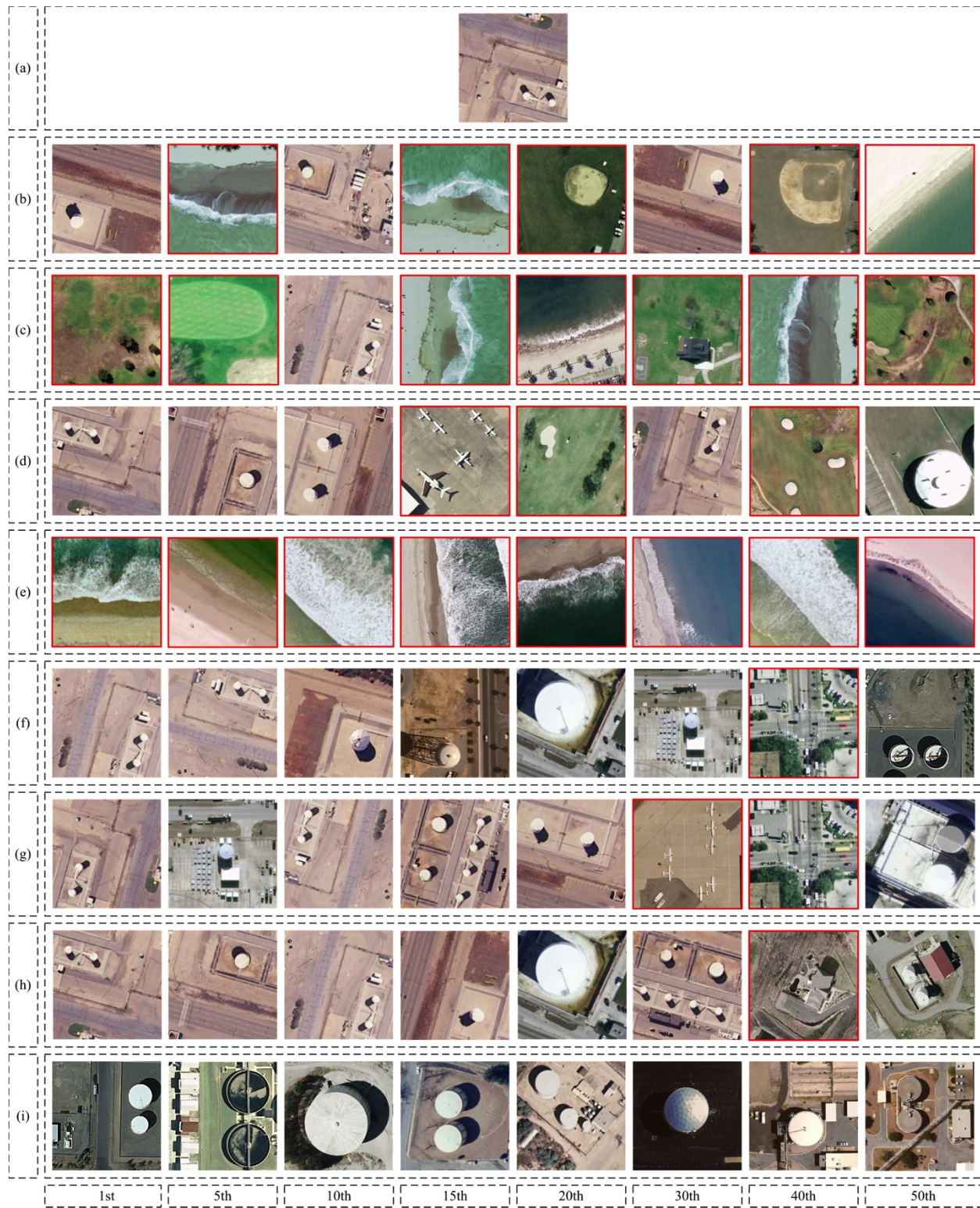


Fig. 6. Visual image retrieval results of different methods examined. (a) Inquiry aerial image of the storage tanks category. (b) PRH retrieval results presented in [7]. (c) KSH retrieval results presented in [8]. (d) SDH retrieval results presented in [30]. (e) COSDISH retrieval results presented in [31]. (f) DHN retrieval results presented in [27]. (g) DSH retrieval results presented in [28]. (h) DPSH retrieval results presented in [29]. (i) Retrieval results of our DHNNs-L2. The 1st, 5th, 10th, 15th, 20th, 30th, 40th, and 50th retrieval results of each method are shown. In addition, false retrieval results are marked with red rectangles.

638 functions from scratch. Images in the SAT4 were drawn from
 639 the National Agriculture Imagery Program. Each image in the
 640 SAT4 includes 28×28 pixels, the spatial resolution of each

pixel is 1 m, and each pixel is measured in the RGB-NIR
 spectral space. In addition, the SAT4 includes 500 000 images
 covering four land cover categories (barren land, trees,

641

642

643

TABLE V
CONFIGURATION OF DFLNN ON SAT4

| Layer | Configuration |
|-------|---|
| Conv1 | filter: $32 \times 5 \times 5 \times 4$, stride1: 1×1 , pool: 3×3 , stride2: 2×2 |
| Conv2 | filter: $32 \times 3 \times 3 \times 32$, stride1: 1×1 , pool: 3×3 , stride2: 2×2 |
| Conv3 | filter: $64 \times 3 \times 3 \times 32$, stride1: 1×1 , pool: 2×2 , stride2: 1×1 |
| Full4 | 128 |
| Full5 | 128 |

TABLE VI
MAP VALUES OF DHNNs-L1 UNDER DIFFERENT PARAMETERS ON SAT4

| | $\eta = 1.0e0$ | $\eta = 1.0e1$ | $\eta = 1.0e2$ | $\eta = 1.0e3$ | $\eta = 1.0e4$ |
|------------|----------------|----------------|----------------|----------------|----------------|
| $s = 0.25$ | 0.9694 | 0.9781 | 0.9784 | 0.9743 | 0.9459 |
| $s = 0.50$ | 0.9736 | 0.9772 | 0.9787 | 0.9793 | 0.9640 |
| $s = 0.75$ | 0.9765 | 0.9700 | 0.9746 | 0.9746 | 0.9613 |
| $s = 1.00$ | 0.9744 | 0.9773 | 0.9750 | 0.8450 | 0.9494 |

644 grassland, and all land cover types other than the former three
645 classes). Visual samples drawn from the SAT4 are shown
646 in Fig. 7.

647 2) *Experimental Setup*: From this experiment, we randomly
648 selected 1000 images from the SAT4 as an inquiry image
649 data set, and others were used as a searching and training
650 image data sets with a volume of 499000. Hence, it was
651 sufficient to learn a specific deep neural network aiming at
652 given types of satellite images under the supervision of this
653 training satellite image data set. In addition, the inquiry and
654 searching image data sets were further used to evaluate image
655 retrieval performance outcomes.

656 As the satellite image was measured in the RGB-NIR
657 spectral space and the size of the image is relatively small,
658 Table V presents the architecture of the DFLNN specifically
659 designed for such satellite images. As shown in Table V,
660 the architecture contains three convolutional layers and two
661 fully connected layers and is relatively compact compared to
662 the ImageNet network. We note that the architecture given
663 in Table V is just one of the many candidates. This paper
664 merely introduces a general solution for designing DFLNNs
665 and for further constructing DHNNs. More DFLNNs architec-
666 tures can be explored and evaluated in future works. Under the
667 applied experimental setting, both the DFLNNs and HLNNs
668 of the DHNNs were randomly initialized. Furthermore, we can
669 use Algorithm 1 or Algorithm 2 to train it from scratch using
670 the training satellite image data set.

671 3) *Overall Performance of the DHNNs*: In this experiment,
672 we used a training image data set of 499000 images to
673 train the DHNNs from scratch using different optimization
674 algorithms. In the following, DHNNs-L1 is the constructed
675 DHNNs optimized by Algorithm 1, and DHNNs-L2 is the

TABLE VII
MAP VALUES OF DHNNs-L2 UNDER DIFFERENT PARAMETERS ON SAT4

| | $\eta = 1.0e0$ | $\eta = 1.0e1$ | $\eta = 1.0e2$ | $\eta = 1.0e3$ | $\eta = 1.0e4$ |
|------------|----------------|----------------|----------------|----------------|----------------|
| $s = 0.25$ | 0.9736 | 0.9769 | 0.9765 | 0.9736 | 0.6471 |
| $s = 0.50$ | 0.9769 | 0.9808 | 0.9811 | 0.9788 | 0.6258 |
| $s = 0.75$ | 0.9736 | 0.9785 | 0.9819 | 0.9756 | 0.6417 |
| $s = 1.00$ | 0.8479 | 0.9778 | 0.8615 | 0.9814 | 0.7503 |

676 constructed DHNNs optimized by Algorithm 2. With the hash-
677 ing feature length set to 64, Table VI illustrates the satellite
678 image retrieval accuracy of DHNNs-L1 equipped with two
679 parameters, including the similarity factor s and regularization
680 coefficient η . Table VII reports the satellite image retrieval
681 accuracy of DHNNs-L2 under two key parameters.

682 As shown in Tables VI and VII, DHNNs-L2 performs better
683 than DHNNs-L1. DHNNs-L2 can achieve the best satellite
684 image retrieval performance outcomes when the similarity
685 factor s is set to 0.75 and the regularization coefficient η is
686 equal to 1.0e2.

687 4) *Comparisons With State-of-the-Art Approaches*: Accord-
688 ing to the sensitivity analysis of the similarity factor
689 and the regularization coefficient shown in Section IV-C-3,
690 the similarity factor s and regularization coefficient η
691 of the DHNNs-L2 are set as 0.75 and 1.0e2, respectively.
692 Furthermore, Table VIII reports the accuracy of DHNNs-L2
693 when a different hashing feature length l is adopted.
694 To illustrate the superiority of DHNNs-L2, we also
695 present the accuracy of the following seven state-of-the-art
696 approaches: PRH [7], KSH [8], SDH [30], COSDISH [31],
697 DHN [27], DSH [28], and DPSH [29]. These shallow hashing
698 methods [7], [8], [30], [31] used the 512-D GIST feature [48]
699 as an input. In addition, these deep hashing methods [27]–[29]
700 use the same deep network architecture as that employed for
701 the proposed DHNNs-L2. For the comparisons, all methods
702 employ the same inquiry and searching data sets. As shown
703 in Table VIII, the proposed DHNNs-L2 achieves significant
704 satellite image retrieval performance improvements relative to
705 other existing methods.

706 To clearly show image retrieval performance variations of
707 the different methods, we report the precision-recall curves
708 of DHNNs-L2 and of other approaches. More specifically,
709 Fig. 8 reports the precision-recall curves of the different meth-
710 ods for different hashing feature lengths. As shown in Fig. 8,
711 the proposed DHNNs-L2 significantly outperforms the other
712 approaches.

713 For the same hashing feature length $l = 96$, we report the
714 visual retrieval results of DHNNs-L2 and other approaches
715 in Fig. 9. As a whole, the quantitative and qualitative results
716 illustrate the superiority of the proposed DHNNs-L2.

717 There is no doubt that the feature-searching module can
718 be efficiently applied through the utilization of hashing

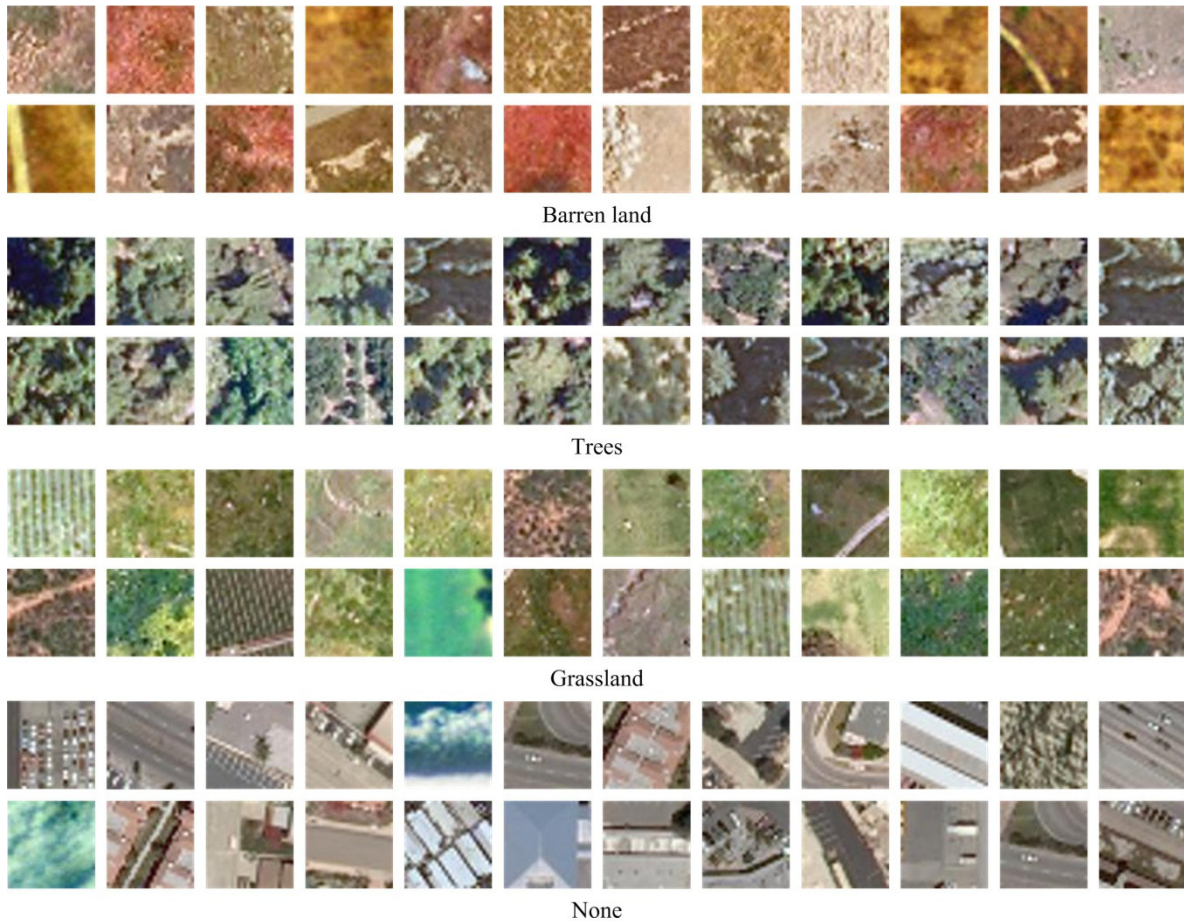


Fig. 7. RGB channel visualization of the adopted SAT4. More specifically, SAT4 covers four land cover categories, and 24 images of each category, randomly selected from the SAT4, are shown.

TABLE VIII
MAP VALUES OF DHNNs-L2 AND OTHER APPROACHES ON SAT4

| | PRH in [7] | KSH in [8] | SDH in [30] | COSDISH in [31] | DHN in [27] | DSH in [28] | DPSH in [29] | Our DHNNs-L2 |
|--------|---------------|---------------|----------------|--------------------|----------------|----------------|-----------------|---------------|
| $l=32$ | 0.3933 | 0.5280 | 0.5681 | 0.6110 | 0.9321 | 0.8595 | 0.9554 | 0.9793 |
| $l=64$ | 0.3881 | 0.5103 | 0.5574 | 0.6714 | 0.9391 | 0.9212 | 0.9549 | 0.9819 |
| $l=96$ | 0.3946 | 0.5133 | 0.5830 | 0.7192 | 0.9431 | 0.9341 | 0.9561 | 0.9830 |

719 features [7], [8]. In practice, the efficient extraction of hash-
 720 ing features from images is very challenging. Fortunately,
 721 the proposed DHNNs can be easily applied with the use of
 722 parallel hardware. In this paper, the proposed DHNNs-L2 is
 723 implemented via GPU. The proposed DHNNs can extract
 724 hashing features of dozens of aerial images of the UCMD
 725 per second and can output hashing features of hundreds
 726 of satellite images of the SAT4 each second. As a whole,
 727 the proposed DHNNs-L2 is accurate and efficient.

728 D. Discussion and Avenues for Future Research

729 In the aforementioned experiments, the two remote sensing
 730 image data sets used (i.e., the UCMD and SAT4) represent

731 two typical remote sensing image retrieval task conditions.
 732 Under these two different conditions, DHNNs can be designed
 733 and learned under a unified framework. Our two represen-
 734 tative experiments fully show the generalization of the pro-
 735 posed DHNNs-L2. In addition, the experiments show that
 736 the proposed DHNNs-L2 can achieve significant performance
 737 improvements relative to the outcomes of two existing large-
 738 scale remote sensing image retrieval approaches [6], [7],
 739 two potential approaches based on recent hashing learn-
 740 ing methods [30], [31], and three existing deep hashing
 741 methods [27]–[29].

742 In future work, we will explore ways to train DHNNs from
 743 scratch using large-scale labeled data with noisy, possibly

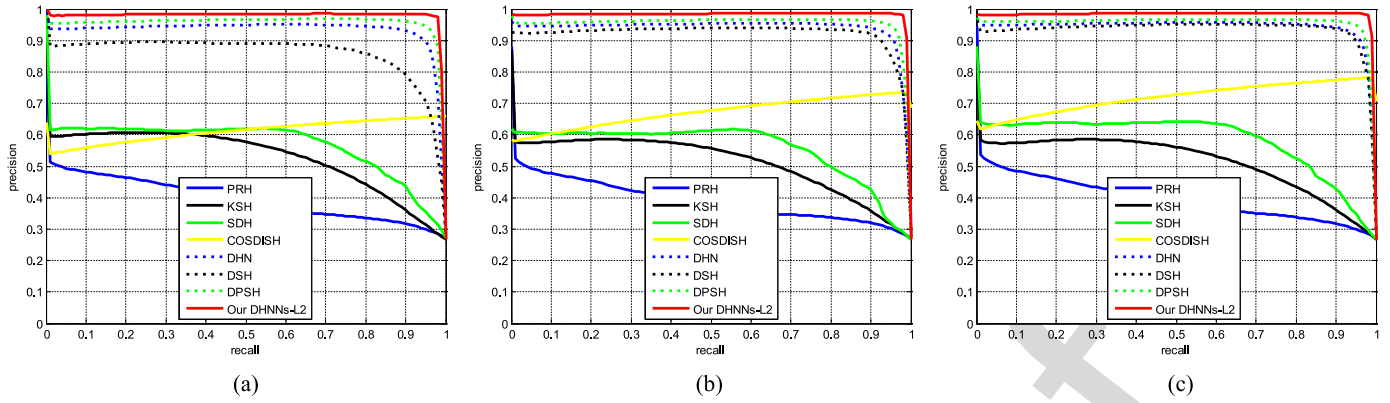


Fig. 8. Performance of DHNNs-L2 and other methods when applied with different hashing feature lengths on SAT4. (a) Performance when $l = 32$. (b) Performance when $l = 64$. (c) Performance when $l = 96$.

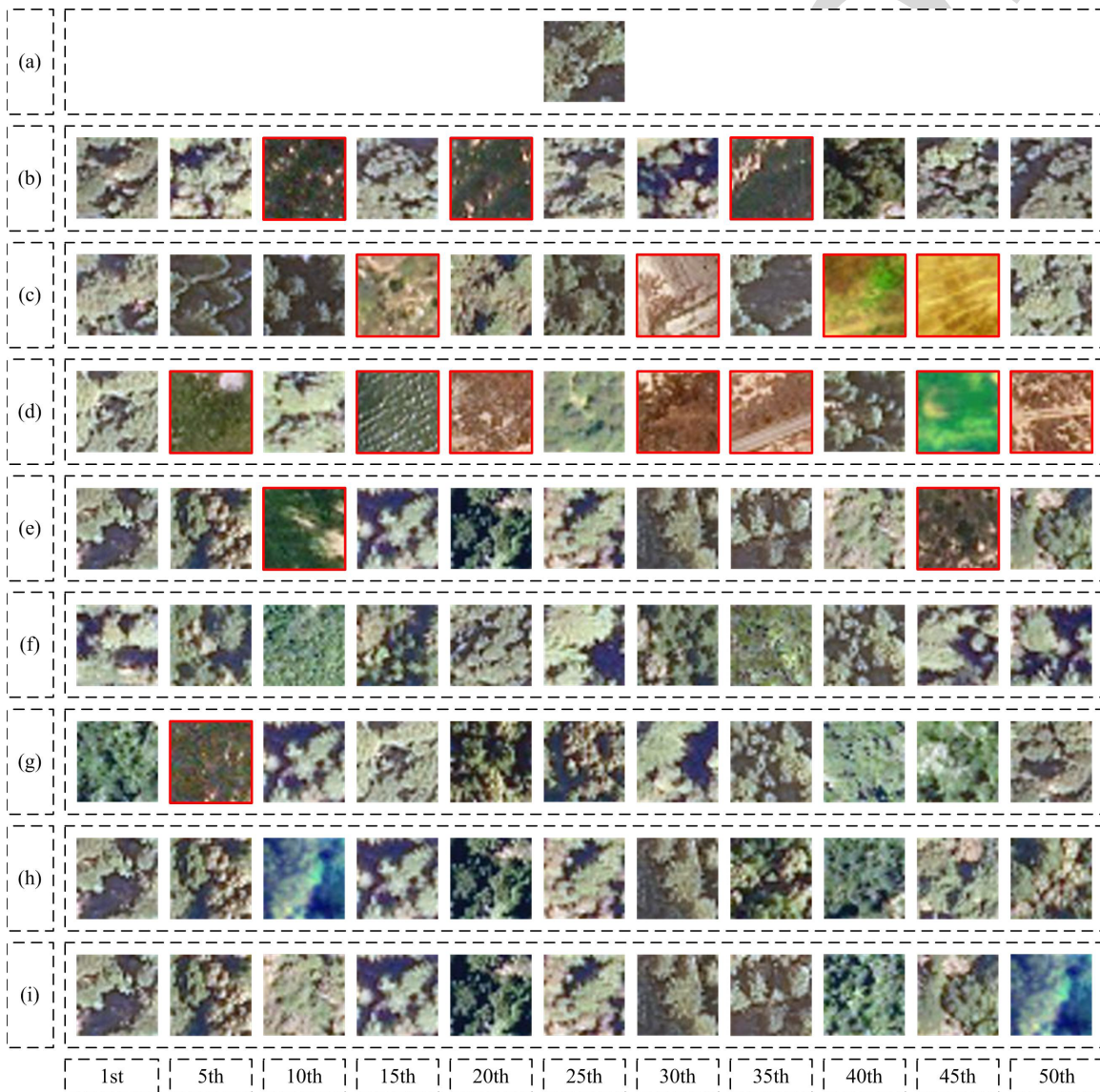


Fig. 9. Visual image retrieval results for different methods. (a) Inquiry satellite image of the tree category. (b) PRH retrieval results presented in [7]. (c) KSH retrieval results presented in [8]. (d) SDH retrieval results presented in [30]. (e) COSDISH retrieval results presented in [31]. (f) DHN retrieval results presented in [27]. (g) DSH retrieval results presented in [28]. (h) DPSH retrieval results presented in [29]. (i) Retrieval results of our DHNNs-L2. The 1st, 5th, 10th, 15th, 20th, 25th, 30th, 35th, 40th, 45th, and 50th retrieval results of each method are shown. In addition, false retrieval results are marked with red rectangles.

744 incorrect labels. These data are often generated at a relatively
 745 low cost. For example, remote sensing images can be effi-
 746 ciently labeled through crowd-sourcing [49], but labeled data

can contain a certain number of incorrect labels [50]. Guided
 by the geography information system, remote sensing images
 can also be labeled automatically with the cost of a certain

747
 748
 749

number of alignment errors [51]. Hence, DHNNs training from noisy labeled data should be very cost effective.

As noted above, DHNNs can output the compact semantic feature representation of an input remote sensing image in urgent need of remote sensing image interpretation. Hence, we plan to explore more applications of DHNNs such as hyper-spectral image classification [52], image matching and registration [53], [54], information fusion [55], built-up area detection [56], urban village detection [57], [58], and land cover recognition [59].

V. CONCLUSION

Due to an urgent need for RSBD mining, large-scale remote sensing image retrieval has attracted increasing attention. Although several efforts have been made to address issues of large-scale remote sensing image retrieval, this task remains a very challenging problem. This paper is the first to advocate the use of DHNNs to address this problem.

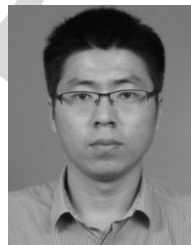
We conduct a comprehensive study of DHNN systems. Based on the general cross-entropy theory, we provide a systematic review of existing DHNN methods. This paper is the first to highlight the importance of the similarity weight, which is set to a constant and disregarded in existing works. To broaden the applications of DHNNs, we adapt DHNNs to two representative remote sensing cases where the remote sensing data set includes either a limited number of labeled samples or plenty of labeled samples. For these two conditions, we present the means to design and train DHNNs. Extensive experiments conducted on one public aerial image data set and one public satellite image data set demonstrate that the proposed large-scale remote image retrieval approach based on the adjusted DHNNs can remarkably outperform state-of-the-art approaches.

Large-scale remote sensing image retrieval methods and DHNNs should be increasingly adapted to address the requirements of more and more practical applications. To facilitate this, we present potential avenues for future research on DHNNs from method optimization and application perspectives. In future work, we plan to explore ways to train DHNNs using labeled data containing a certain number of errors from scratch, as such data can often be generated at a low cost. In addition, we plan to exploit the feasibility of applying DHNNs to more remote sensing image interpretation applications. Broadly speaking, DHNNs and their future extensions could realize new solutions for a broad range of remote sensing applications.

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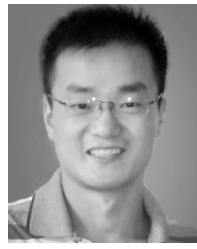
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